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" FILE M3 "

"PROGRAM : HO3 flow and mass functions"

"This file is the third one of the suite working out calculations reported in :
  Comments on MECHANICS and THERMODYNAMICS of the BERNOULLI OSCILLATORS Parts I
  and II, (Google search : FEDOA Comments on), by G. Mastrocinque - Department
  of Physics - Engineering Faculty - University of Naples Federico II"

"Warning : Before this one, please be sure you have
  run the programs HO3 FS wave equation solve and HO3 SS wave
  equation solve in the same library to pick up input data"

"CALCULATION OF THE NUMERICAL FLOW FUNCTION"

<< Graphics`Legend`
Clear[v, τττ]
"eq. (30) :
"en=="
en = (n - 1/2) h v c
"enf =="
enf = n h v c
"eni =="
eni = (n - 1) h v c
"vn0 (eqs. (12), (61)) :
vn0 = (enf - eni) / (cn h)
"the value we give to τn is (eq.(60)) :
τττ = 0.11740293629878387`
"evaluate the flow function v[ξ] in Region II (eq.(13)) :

$$\frac{1}{2} m \frac{2 v v[\xi]}{\rho[\xi]}^2 = \mu \mu \sqrt{\rho[\xi]} - \tau \tau \tau \text{ cn } h v v[\xi];$$

Solve[%, vv[ξ]];
Expand[Simplify[vv[ξ] /. %[[2]]]];
%[[1]] +  $\sqrt{\text{Expand}[\%[[2]]^2]}$ 
"continuity condition in ξn (evaluate μμ, eq. (14)) :
(% / . ρ[ξ] → ρmax) == vnn0
μμμsol = Solve[%, μμμ]
Simplify[PowerExpand[%%% /. %[[1]]]];
μμ =
Chop[Simplify[PowerExpand[ $\left( \mu \mu \mu \text{sol}[[1]][[1]][[2]] \frac{\sqrt{\rho_{\text{max}}}}{h v \text{nn}0} \right)$ ]]] HoldForm[ $\frac{h v \text{nn}0}{\sqrt{\rho_{\text{max}}}}$ ]
"simplify μμ (eq. (62)) :
μμ = Simplify[PowerExpand[(μμμsol[[1]][[1]][[2]] /. ρmax → ρmax /. vnn0 → vn0)]]
"calculate v[ξ] (eqs. (11)÷(14), Fig. 8) :
v1[ξ_] = vn0 UnitStep[ξn - ξ] UnitStep[n - 2] + (1 - UnitStep[ξn - ξ])
PowerExpand[%%% /. ρ[ξ] → ρmax ρgn[ξ] /. ρmax → ρmax /. vnn0 → vn0];
nv[ξ_] = PowerExpand[Simplify[% / vn0]];
Print["v[ξ] div vn0 (Fig. 8):"]

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Plot[nv[ξ], {ξ, 0, 0.8 ξfin[n]}, AxesLabel → {ξ,  $\frac{v[\xi]}{v_{n0}}$ }]

v[ξ_] = v1[ξ];

"CALCULATION OF THE MASS FUNCTION"

"meff[ξ] (eqs. (9), (15), Fig. 9) : "
meff[ξ_] =  $\frac{\rho_{\max} \rho_{gn}[\xi] h \text{ derphig}[\xi]}{2 2 \pi \lambda \lambda v_{n0} nv[\xi]} + \frac{cn h (\rho_{\max} \rho_{gn}[\xi])^2}{8 v_{n0} nv[\xi]}$ ;
Print["meff[ξ] div m == "]
Plot[meff[ξ] / m, {ξ, 0, ξfin[n]}]
"check eqs. (17), (63) : "
2 ρmax λ λ NIntegrate[ρgn[ξ] meff[ξ] / m, {ξ, 0, ξfin[n]},
  AccuracyGoal → ∞, MinRecursion → 4, MaxRecursion → 1000000];
SetPrecision[%, 8]

"CALCULATION OF DELTAX"
Off[Part::"pspec"]
"choose a number of integration points : "
numpts = 300
tab = Table[-  $\frac{nv[\xi]}{\rho_{gn}[\xi]}$  Sign[meff[ξ] / meff[0] - 1]  $\sqrt{\sqrt{(meff[\xi] / meff[0] - 1)^2}}$ ,
  {ξ, 0, ξfin[n], ξfin[n] / numpts}];
"integrate : "
ξfin[n] / numpts  $\sum_{i=1}^{qq}$  (tab[[i]])
% /. qq → Round[ξn / ξfin[n] numpts];
tabdelx = Table[Exp[%% - %], {qq, 1, numpts, 1}];
"plot deltax (arbitrary units, Fig. 10) : "
ListPlot[tabdelx]
"SUITE OF CALCULATIONS : is in file HO3 velocity
  fields in the same library. Warning : the following programs
  need to use data provided by the present and previous ones"

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CALCULATION OF THE NUMERICAL FLOW FUNCTION

eq. (30) :

en ==

$$\frac{5 h \nu c}{2}$$

enf ==

3 h ν c

eni ==

2 h ν c

$\nu n 0$ (eqs. (12), (61)) :

0.885181 ν c

the value we give to τ_n is (eq.(60)) :

0.117403

evaluate the flow function $v[\xi]$ in Region II (eq. (13)) :

$$-\frac{0.0331579 h \rho[\xi]^2}{m} + \sqrt{\frac{0.5 \mu\mu\mu \rho[\xi]^{5/2}}{m} + \frac{0.00109945 h^2 \rho[\xi]^4}{m^2}}$$

continuity condition in ξ_n (evaluate $\mu\mu$, eq. (14)) :

$$-\frac{0.0331579 h \rho_{\text{max}}^2}{m} + \sqrt{\frac{0.5 \mu\mu\mu \rho_{\text{max}}^{5/2}}{m} + \frac{0.00109945 h^2 \rho_{\text{max}}^4}{m^2}} == v_{\text{nn0}}$$

$$\left\{ \left\{ \mu\mu\mu \rightarrow \frac{1}{\rho_{\text{max}}^3} \left(4.80793 \times 10^{-28} \left(4.15979 \times 10^{27} m v_{\text{nn0}}^2 \sqrt{\rho_{\text{max}}} + 2.7586 \times 10^{26} h v_{\text{nn0}} \rho_{\text{max}}^{5/2} + \frac{5.69889 \times 10^8 h^2 \rho_{\text{max}}^{9/2}}{m} \right) \right) \right\} \right\}$$

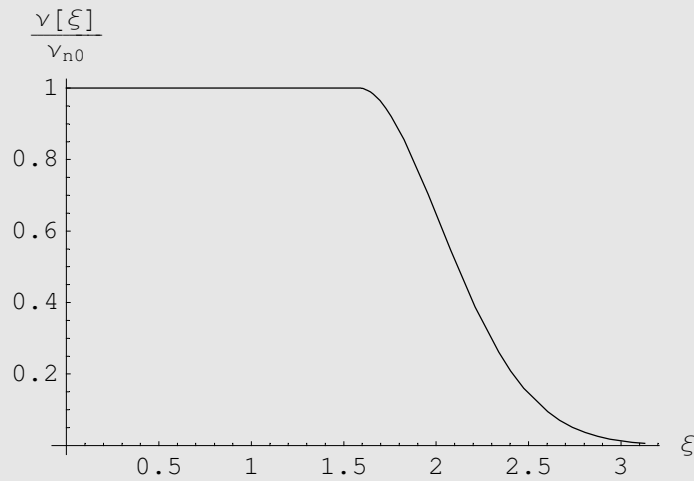
$$\left(0.132632 + \frac{2 \cdot m v_{\text{nn0}}}{h \rho_{\text{max}}^2} \right) \frac{h v_{\text{nn0}}}{\sqrt{\rho_{\text{max}}}}$$

simplify $\mu\mu$ (eq. (62)) :

$$\frac{0.278696 h^{5/4} v_{\text{c}}^{3/4}}{m^{1/4}}$$

calculate $v[\xi]$ (eqs. (11)÷(14), Fig. 8) :

$v[\xi]$ div v_{nn0} (Fig. 8) :

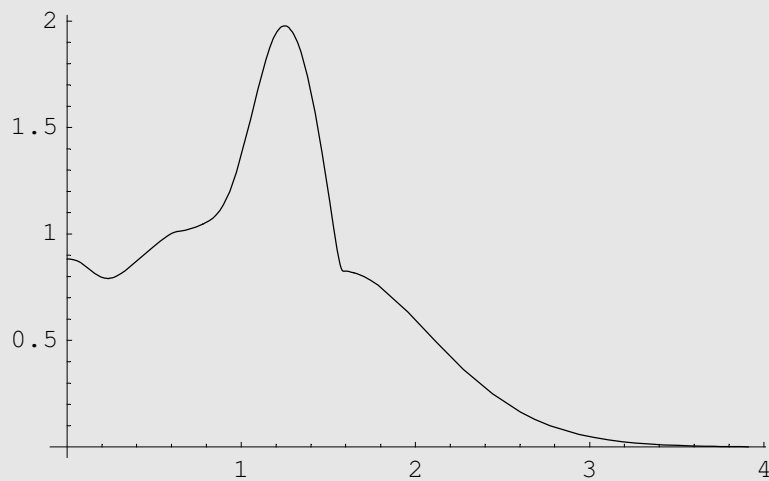


- Graphics -

CALCULATION OF THE MASS FUNCTION

`meff[\xi]` (eqs. (9), (15), Fig. 9) :

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meff[\xi] div m ==
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- Graphics -

check eqs.(17), (63) :

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0.99999766
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CALCULATION OF DELTAX

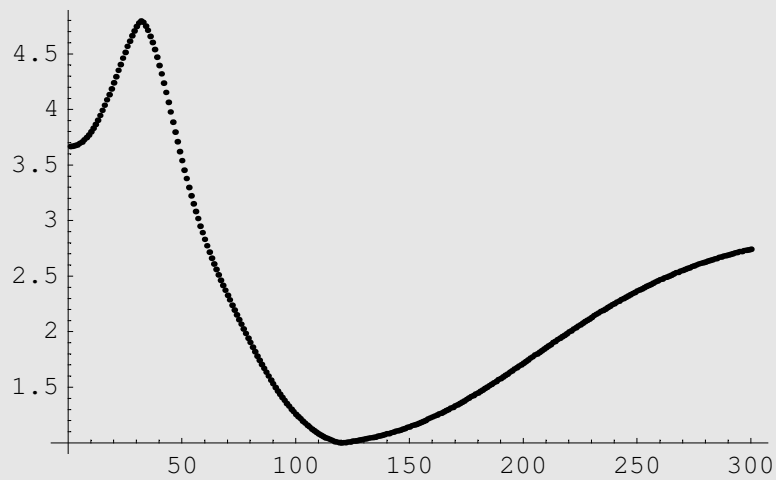
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choose a number of integration points :
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```
300
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integrate :
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0.0130371  $\sum_{i=1}^{qq} \text{tab}[[i]]$ 
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plot deltax (arbitrary units, Fig. 10) :
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- Graphics -
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